

NEWTON'S METHOD

<u>Newton's Method</u> is an <u>algorithm</u> (procedure) for finding roots (solutions) to the equation

f(x)=0

provided *f* is a differentiable function.

THE ALGORITHM

Let f(x) be a differentiable function and let x_1 be an initial approximation to the root r of the equation f(x) = 0.

Compute
$$x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$$

for $n = 1, 2, 3, ...$

Write $\lim_{n \to \infty} x_n = r$, if the limit exists.

APPLYING NEWTON'S METHOD ON THE TI-83/84

- 1. Enter the original function as **Y1** and its derivative as **Y2**.
- Store the first guess as *x* by entering the guess, pressing STO, pressing X,t,θ,n, then press ENTER.
- Enter X-Y₁(X)/Y₂(X)→X. To enter Y₁, press VARS, arrow over to Y-Vars, select 1:Function, then select 1:Y₁. Use a similar process to enter Y₂.
- 4. Repeatedly press **ENTER** until the desired accuracy is reached.